

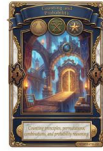
Counting and Probability

Counting principles, permutations, combinations, and probability reasoning.

Name _____ Date _____

32 main 2-up grid 11 pages visible side quests

Completion Reward



Shown here as a small pack artifact, not a preview destination.

1. When does order matter in a counting problem?

- A. When different arrangements count as different outcomes
- B. When every choice is identical
- C. Only when probability is zero
- D. Never

1.1. If there are 4 shirt choices and 3 pants choices, how many outfits are possible?

- A. 7
- B. 12
- C. 24
- D. 1

1.2. When does order matter?

- A. when choosing a committee
- B. when ranking first, second, and third
- C. when picking 2 pizza toppings
- D. when choosing a team

1.3. Choosing 3 students to represent a class is a:

- A. permutation
- B. combination
- C. translation
- D. sequence

1.4. Choosing president, vice president, and secretary from a club is a:

- A. combination
- B. permutation
- C. set union
- D. recursive rule

1.5. There are 2 routes, 4 lunch choices, and 3 activities. How many plans are possible?

- A. 9
- B. 12
- C. 24
- D. 36

2. When does order not matter in a counting problem?

- A. When you are choosing a group and arrangement does not matter
- B. When every outcome is impossible
- C. Only for factorials
- D. Only for dice

2.1. Which situation uses a permutation?

- A. Choose 3 pizza toppings
- B. Assign gold, silver, and bronze medals
- C. Pick 4 committee members
- D. Choose 2 books to borrow

2.2. Which situation uses a combination?

- A. Choosing a president and vice president
- B. Arranging 5 books on a shelf
- C. Selecting 3 players for a team
- D. Creating a 4-digit code

2.3. If $P(A) = 0.18$, then $P(\text{not } A) =$

- A. 0.18
- B. 0.72
- C. 0.82
- D. 1.18

2.4. In sets, $A \cap B$ means:

- A. items in A or B
- B. items in both A and B
- C. items not in either set
- D. all items outside the sets

2.5. If 3 of 12 marbles are red, the probability of red is:

- A. $\frac{1}{4}$
- B. $\frac{1}{3}$
- C. $\frac{3}{12^2}$
- D. $\frac{9}{12}$

3. What does probability measure?

- A. Only the number of impossible outcomes
- B. The average of all outcomes
- C. How much of the outcome space supports an event
- D. The number of outcomes minus the number of favorable ones

3.1. A fair die is rolled. What is the probability of rolling an even number?

- A. $\frac{1}{6}$
- B. $\frac{1}{3}$
- C. $\frac{1}{2}$
- D. $\frac{2}{3}$

3.2. A certain event has probability:

- A. 0
- B. 1
- C. $\frac{1}{2}$
- D. it depends

3.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

3.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

3.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

4. What is $P(\text{not } E)$?

- A. $1 - P(E)$
- B. $P(E) + 1$
- C. $1 / P(E)$
- D. $P(E)^2$

4.1. A fair die is rolled. What is the probability of rolling an even number?

- A. $1/6$
- B. $1/3$
- C. $1/2$
- D. $2/3$

4.2. A certain event has probability:

- A. 0
- B. 1
- C. $1/2$
- D. it depends

4.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

4.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

4.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

5. If events A and B are independent, how do you find $P(A \text{ and } B)$?

- A. Add $P(A)$ and $P(B)$
- B. Subtract $P(B)$ from $P(A)$
- C. Average them
- D. Multiply $P(A)$ and $P(B)$

5.1. A fair die is rolled. What is the probability of rolling an even number?

- A. $1/6$
- B. $1/3$
- C. $1/2$
- D. $2/3$

5.2. A certain event has probability:

- A. 0
- B. 1
- C. $1/2$
- D. it depends

5.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

5.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

5.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

6. Which situation is a permutation?

- A. Choosing president, vice president, and secretary
- B. Choosing 3 team members with no jobs
- C. Choosing 2 toppings for a pizza
- D. Choosing a 3-person committee with identical roles

6.1. If there are 4 shirt choices and 3 pants choices, how many outfits are possible?

- A. 7
- B. 12
- C. 24
- D. 1

6.2. When does order matter?

- A. when choosing a committee
- B. when ranking first, second, and third
- C. when picking 2 pizza toppings
- D. when choosing a team

6.3. Choosing 3 students to represent a class is a:

- A. permutation
- B. combination
- C. translation
- D. sequence

6.4. Choosing president, vice president, and secretary from a club is a:

- A. combination
- B. permutation
- C. set union
- D. recursive rule

6.5. There are 2 routes, 4 lunch choices, and 3 activities. How many plans are possible?

- A. 9
- B. 12
- C. 24
- D. 36

7. Which situation is a combination?

- A. Choosing gold, silver, and bronze medalists
- B. Choosing 3 committee members with no roles
- C. Arranging 4 books on a shelf
- D. Assigning 3 students to 3 different jobs

7.1. If there are 4 shirt choices and 3 pants choices, how many outfits are possible?

- A. 7
- B. 12
- C. 24
- D. 1

7.2. When does order matter?

- A. when choosing a committee
- B. when ranking first, second, and third
- C. when picking 2 pizza toppings
- D. when choosing a team

7.3. Choosing 3 students to represent a class is a:

- A. permutation
- B. combination
- C. translation
- D. sequence

7.4. Choosing president, vice president, and secretary from a club is a:

- A. combination
- B. permutation
- C. set union
- D. recursive rule

7.5. There are 2 routes, 4 lunch choices, and 3 activities. How many plans are possible?

- A. 9
- B. 12
- C. 24
- D. 36

8. How many outcomes are in the sample space for flipping 2 fair coins?

- A. 2
- B. 4
- C. 3
- D. 8

8.1. A fair die is rolled. What is the probability of rolling an even number?

- A. $\frac{1}{6}$
- B. $\frac{1}{3}$
- C. $\frac{1}{2}$
- D. $\frac{2}{3}$

8.2. A certain event has probability:

- A. 0
- B. 1
- C. $\frac{1}{2}$
- D. it depends

8.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

8.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

8.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

9. Before deciding on a counting formula, what should you ask first?

- A. What is the derivative?
- B. What is the midpoint?
- C. Can I rotate axes?
- D. Does order matter?

9.1. Which situation uses a permutation?

- A. Choose 3 pizza toppings
- B. Assign gold, silver, and bronze medals
- C. Pick 4 committee members
- D. Choose 2 books to borrow

9.2. Which situation uses a combination?

- A. Choosing a president and vice president
- B. Arranging 5 books on a shelf
- C. Selecting 3 players for a team
- D. Creating a 4-digit code

9.3. If $P(A) = 0.18$, then $P(\text{not } A) =$

- A. 0.18
- B. 0.72
- C. 0.82
- D. 1.18

9.4. In sets, $A \cap B$ means:

- A. items in A or B
- B. items in both A and B
- C. items not in either set
- D. all items outside the sets

9.5. If 3 of 12 marbles are red, the probability of red is:

- A. $\frac{1}{4}$
- B. $\frac{1}{3}$
- C. $\frac{3}{12^2}$
- D. $\frac{9}{12}$

10. If an event is hard to count directly, what is often helpful?

- A. Count its complement first
- B. Square the probabilities
- C. Ignore the sample space and estimate
- D. Assume all outcomes are equally likely without checking

10.1. A fair die is rolled. What is the probability of rolling an even number?

- A. 1/6
- B. 1/3
- C. 1/2
- D. 2/3

10.2. A certain event has probability:

- A. 0
- B. 1
- C. 1/2
- D. it depends

10.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

10.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

10.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

11. A student uses combinations to count gold, silver, and bronze placements. What is wrong?

- A. Placements have order, so permutations are needed
- B. Combinations are always larger
- C. Medals never use counting
- D. Nothing is wrong

11.1. If there are 4 shirt choices and 3 pants choices, how many outfits are possible?

- A. 7
- B. 12
- C. 24
- D. 1

11.2. When does order matter?

- A. when choosing a committee
- B. when ranking first, second, and third
- C. when picking 2 pizza toppings
- D. when choosing a team

11.3. Choosing 3 students to represent a class is a:

- A. permutation
- B. combination
- C. translation
- D. sequence

11.4. Choosing president, vice president, and secretary from a club is a:

- A. combination
- B. permutation
- C. set union
- D. recursive rule

11.5. There are 2 routes, 4 lunch choices, and 3 activities. How many plans are possible?

- A. 9
- B. 12
- C. 24
- D. 36

12. A student says $P(\text{not } E) = P(E)$. What is wrong?

- A. Complements are impossible to compute
- B. A complement is usually $1 - P(E)$, not the same probability
- C. Complements use multiplication
- D. Nothing is wrong

12.1. A fair die is rolled. What is the probability of rolling an even number?

- A. 1/6
- B. 1/3
- C. 1/2
- D. 2/3

12.2. A certain event has probability:

- A. 0
- B. 1
- C. 1/2
- D. it depends

12.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

12.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

12.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

13. How many ways can 3 different books be arranged on a shelf? Answer with a number.

- A. 0.18
- B. 0.72
- C. 0.82
- D. 1.18

14. How many ways can you choose 2 students from 5? Answer with a number.

14.3. If $P(A) = 0.18$, then $P(\text{not } A) =$

- A. 0.18
- B. 0.72
- C. 0.82
- D. 1.18

15. How many outcomes are possible when 3 fair coins are flipped? Answer with a number.

15.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

13.1. Which situation uses a permutation?

- A. Choose 3 pizza toppings
- B. Assign gold, silver, and bronze medals
- C. Pick 4 committee members
- D. Choose 2 books to borrow

13.4. In sets, A intersection B means:

- A. items in A or B
- B. items in both A and B
- C. items not in either set
- D. all items outside the sets

14.1. Which situation uses a permutation?

- A. Choose 3 pizza toppings
- B. Assign gold, silver, and bronze medals
- C. Pick 4 committee members
- D. Choose 2 books to borrow

14.4. In sets, A intersection B means:

- A. items in A or B
- B. items in both A and B
- C. items not in either set
- D. all items outside the sets

15.1. A fair die is rolled. What is the probability of rolling an even number?

15.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

13.2. Which situation uses a combination?

- A. Choosing a president and vice president
- B. Arranging 5 books on a shelf
- C. Selecting 3 players for a team
- D. Creating a 4-digit code

13.5. If 3 of 12 marbles are red, the probability of red is:

- A. $1/4$
- B. $1/3$
- C. $3/12^2$
- D. $9/12$

14.2. Which situation uses a combination?

- A. Choosing a president and vice president
- B. Arranging 5 books on a shelf
- C. Selecting 3 players for a team
- D. Creating a 4-digit code

14.5. If 3 of 12 marbles are red, the probability of red is:

- A. $1/4$
- B. $1/3$
- C. $3/12^2$
- D. $9/12$

15.2. A certain event has probability:

- A. 0
- B. 1
- C. $1/2$
- D. it depends

15.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

16. How many outcomes are possible when 2 fair six-sided dice are rolled? Answer with a number.

16.1. A fair die is rolled. What is the probability of rolling an even number?

- A. 1/6
- B. 1/3
- C. 1/2
- D. 2/3

16.2. A certain event has probability:

- A. 0
- B. 1
- C. 1/2
- D. it depends

16.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

16.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

16.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

17. What is the probability of drawing a heart from a standard 52-card deck? Answer as a simplified fraction.

17.1. A fair die is rolled. What is the probability of rolling an even number?

- A. 1/6
- B. 1/3
- C. 1/2
- D. 2/3

17.2. A certain event has probability:

- A. 0
- B. 1
- C. 1/2
- D. it depends

17.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

17.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

17.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

18. What is the probability of rolling a number greater than 4 on one fair die? Answer as a simplified fraction.

18.1. A fair die is rolled. What is the probability of rolling an even number?

- A. 1/6
- B. 1/3
- C. 1/2
- D. 2/3

18.2. A certain event has probability:

- A. 0
- B. 1
- C. 1/2
- D. it depends

18.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

18.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

18.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

19. If $P(E) = 0.37$, find $P(\text{not } E)$. Answer with a number.

19.1. A fair die is rolled. What is the probability of rolling an even number?

19.2. A certain event has probability:

- A. $1/6$
- B. $1/3$
- C. $1/2$
- D. $2/3$

- A. 0
- B. 1
- C. $1/2$
- D. it depends

19.3. An impossible event has probability:

19.4. In a uniform setting, probability compares:

19.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0
- B. 1
- C. -1
- D. 2

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

20. What is the probability of flipping heads on a fair coin and then rolling a 6 on a fair die? Answer as a simplified fraction.

20.1. A fair die is rolled. What is the probability of rolling an even number?

20.2. A certain event has probability:

- A. $1/6$
- B. $1/3$
- C. $1/2$
- D. $2/3$

- A. 0
- B. 1
- C. $1/2$
- D. it depends

20.3. An impossible event has probability:

20.4. In a uniform setting, probability compares:

20.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0
- B. 1
- C. -1
- D. 2

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

21. How many 2-letter arrangements can be made from A, B, C, and D without repetition? Answer with a number.

21.1. If there are 4 shirt choices and 3 pants choices, how many outfits are possible?

21.2. When does order matter?

- A. 7
- B. 12
- C. 24
- D. 1

- A. when choosing a committee
- B. when ranking first, second, and third
- C. when picking 2 pizza toppings
- D. when choosing a team

21.3. Choosing 3 students to represent a class is a:

21.4. Choosing president, vice president, and secretary from a club is a:

21.5. There are 2 routes, 4 lunch choices, and 3 activities. How many plans are possible?

- A. permutation
- B. combination
- C. translation
- D. sequence

- A. combination
- B. permutation
- C. set union
- D. recursive rule

- A. 9
- B. 12
- C. 24
- D. 36

22. How many 3-person committees can be chosen from 6 people? Answer with a number.

22.1. If there are 4 shirt choices and 3 pants choices, how many outfits are possible?

22.2. When does order matter?

- A. 7
- B. 12
- C. 24
- D. 1

- A. when choosing a committee
- B. when ranking first, second, and third
- C. when picking 2 pizza toppings
- D. when choosing a team

22.3. Choosing 3 students to represent a class is a:

22.4. Choosing president, vice president, and secretary from a club is a:

22.5. There are 2 routes, 4 lunch choices, and 3 activities. How many plans are possible?

- A. permutation
- B. combination
- C. translation
- D. sequence

- A. combination
- B. permutation
- C. set union
- D. recursive rule

- A. 9
- B. 12
- C. 24
- D. 36

23. What is the probability that two fair dice sum to 7? Answer as a simplified fraction.

23.1. A fair die is rolled. What is the probability of rolling an even number?

23.2. A certain event has probability:

- A. $\frac{1}{6}$
- B. $\frac{1}{3}$
- C. $\frac{1}{2}$
- D. $\frac{2}{3}$

- A. 0
- B. 1
- C. $\frac{1}{2}$
- D. it depends

23.3. An impossible event has probability:

23.4. In a uniform setting, probability compares:

23.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0
- B. 1
- C. -1
- D. 2

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

24. What is the probability of at least one head in 2 fair coin flips? Answer as a simplified fraction.

24.1. A fair die is rolled. What is the probability of rolling an even number?

24.2. A certain event has probability:

- A. $\frac{1}{6}$
- B. $\frac{1}{3}$
- C. $\frac{1}{2}$
- D. $\frac{2}{3}$

- A. 0
- B. 1
- C. $\frac{1}{2}$
- D. it depends

24.3. An impossible event has probability:

24.4. In a uniform setting, probability compares:

24.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0
- B. 1
- C. -1
- D. 2

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

25. Write the combination formula for choosing r items from n . Answer as an equation.

25.3. Choosing 3 students to represent a class is a:

- A. permutation
- B. combination
- C. translation
- D. sequence

26. Write the permutation formula for arranging r items chosen from n . Answer as an equation.

26.3. Choosing 3 students to represent a class is a:

- A. permutation
- B. combination
- C. translation
- D. sequence

27. Write the complement rule. Answer as an equation.

27.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

25.1. If there are 4 shirt choices and 3 pants choices, how many outfits are possible?

- A. 7
- B. 12
- C. 24
- D. 1

25.4. Choosing president, vice president, and secretary from a club is a:

- A. combination
- B. permutation
- C. set union
- D. recursive rule

26.1. If there are 4 shirt choices and 3 pants choices, how many outfits are possible?

- A. 7
- B. 12
- C. 24
- D. 1

26.4. Choosing president, vice president, and secretary from a club is a:

- A. combination
- B. permutation
- C. set union
- D. recursive rule

27.1. A fair die is rolled. What is the probability of rolling an even number?

- A. $1/6$
- B. $1/3$
- C. $1/2$
- D. $2/3$

27.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

25.2. When does order matter?

- A. when choosing a committee
- B. when ranking first, second, and third
- C. when picking 2 pizza toppings
- D. when choosing a team

25.5. There are 2 routes, 4 lunch choices, and 3 activities. How many plans are possible?

- A. 9
- B. 12
- C. 24
- D. 36

26.2. When does order matter?

- A. when choosing a committee
- B. when ranking first, second, and third
- C. when picking 2 pizza toppings
- D. when choosing a team

26.5. There are 2 routes, 4 lunch choices, and 3 activities. How many plans are possible?

- A. 9
- B. 12
- C. 24
- D. 36

27.2. A certain event has probability:

- A. 0
- B. 1
- C. $1/2$
- D. it depends

27.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

28. Write the multiplication rule for independent events A and B. Answer as an equation.

28.1. A fair die is rolled. What is the probability of rolling an even number?

- A. $1/6$
- B. $1/3$
- C. $1/2$
- D. $2/3$

28.2. A certain event has probability:

- A. 0
- B. 1
- C. $1/2$
- D. it depends

28.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

28.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

28.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

29. Write the number of outcomes for n fair coin flips. Answer as an equation.

29.1. A fair die is rolled. What is the probability of rolling an even number?

- A. $1/6$
- B. $1/3$
- C. $1/2$
- D. $2/3$

29.2. A certain event has probability:

- A. 0
- B. 1
- C. $1/2$
- D. it depends

29.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

29.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

29.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

30. Write the simple-model probability rule for an event E in a fair sample space. Answer as an equation.

30.1. A fair die is rolled. What is the probability of rolling an even number?

- A. $1/6$
- B. $1/3$
- C. $1/2$
- D. $2/3$

30.2. A certain event has probability:

- A. 0
- B. 1
- C. $1/2$
- D. it depends

30.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

30.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

30.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

31. What is the probability of exactly one head when flipping 2 fair coins?

- A. $1/4$
- B. $1/2$
- C. $2/3$
- D. $3/4$

31.1. A fair die is rolled. What is the probability of rolling an even number?

- A. $1/6$
- B. $1/3$
- C. $1/2$
- D. $2/3$

31.2. A certain event has probability:

- A. 0
- B. 1
- C. $1/2$
- D. it depends

31.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

31.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

31.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5

32. What is the probability of rolling an even number on one fair six-sided die?

- A. $1/3$
- B. $2/3$
- C. $1/2$
- D. $3/6$ only if 6 is rolled

32.1. A fair die is rolled. What is the probability of rolling an even number?

- A. $1/6$
- B. $1/3$
- C. $1/2$
- D. $2/3$

32.2. A certain event has probability:

- A. 0
- B. 1
- C. $1/2$
- D. it depends

32.3. An impossible event has probability:

- A. 0
- B. 1
- C. -1
- D. 2

32.4. In a uniform setting, probability compares:

- A. favorable outcomes to total outcomes
- B. outputs to inputs
- C. slope to intercept
- D. mean to median

32.5. If $P(A) = 0.35$, then $P(\text{not } A) = ?$

- A. 0.35
- B. 0.65
- C. 1.35
- D. 0.5