

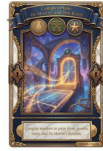
Complex Plane, De Moivre, and Nth Roots

Complex numbers in polar form, powers, roots, and De Moivre's theorem.

Name _____ Date _____

32 main 2-up grid 11 pages visible side quests

Completion Reward



Shown here as a small pack artifact, not a preview destination.

1. What is i^2 ?

- A. -1
- B. 1
- C. i
- D. 0

1.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

1.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

1.3. The conjugate of $-3 + 5i$ is:

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

1.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

1.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

2. In the complex plane, what does the vertical axis represent?

- A. Real values
- B. Radius values only
- C. Angles only
- D. Imaginary values

2.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

2.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

2.3. The conjugate of $-3 + 5i$ is:

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

2.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

2.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

3. What is the conjugate of $4 - 7i$?

- A. $-4 + 7i$
- B. $7 - 4i$
- C. $4 - 7i$
- D. $4 + 7i$

3.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

3.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

3.3. The conjugate of $-3 + 5i$ is:

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

3.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

3.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

4. What does the modulus of a complex number measure?

- A. Its slope
- B. Its distance from the origin in the complex plane
- C. Its imaginary part only
- D. Its argument only

4.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

5. Which expression is a polar-form description of a complex number?

- A. $a + bi$
- B. $r(\theta + i)$
- C. $r(\cos(\theta) + i \sin(\theta))$
- D. $r^2 = x^2 + y^2$

5.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

6. Which pattern is used in De Moivre's theorem?

- A. Raise the modulus to the power and multiply the angle by the power
- B. Raise both modulus and angle to the power
- C. Keep the modulus and add the power to the angle
- D. Square the real and imaginary parts separately

6.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

4.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

4.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

5.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

5.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

6.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

6.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

4.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

4.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

5.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

5.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

6.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

6.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

7. How many distinct complex fourth roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 8
- D. 4

7.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

8. What is the argument of a complex number?

- A. Its distance from the origin
- B. Its real part
- C. Its modulus squared
- D. Its angle from the positive real axis

8.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

9. To compute a high power of a complex number efficiently, what is the best first step?

- A. Multiply it out term by term immediately
- B. Take the conjugate
- C. Convert to polar form
- D. Set the number equal to zero

9.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

7.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

7.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

8.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

8.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

9.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

9.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

7.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

7.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

8.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

8.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

9.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

9.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

10. To find all cube roots of a complex number, what is the best first step?

- A. Take the conjugate
- B. Write the number in polar form
- C. Differentiate it
- D. Put it in a table

10.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

11. A student says the conjugate of $-3 + 2i$ is $3 + 2i$. What is wrong?

- A. The real part should stay -3
- B. The imaginary part should stay $+2i$
- C. The conjugate should be $-3 - 2i$
- D. Nothing is wrong

11.3. The conjugate of $-3 + 5i$ is:

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

12. A student says the modulus of $3 + 4i$ is 7. What is wrong?

- A. Modulus uses the Pythagorean theorem, not direct addition
- B. The real and imaginary parts should be subtracted
- C. Modulus should always equal the real part for positive numbers
- D. The modulus of $3 + 4i$ is undefined

12.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

10.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

10.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

11.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

11.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

12.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

12.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

10.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

10.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

11.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

11.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

12.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

12.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

13. Find the modulus of $3 + 4i$. Answer with a number.

13.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

13.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

13.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

13.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

13.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

14. Find the modulus of $-5 + 12i$. Answer with a number.

14.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

14.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

14.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

14.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

14.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

15. Compute $(2i)(-3i)$. Answer with a number.

15.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

15.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

15.3. The conjugate of $-3 + 5i$ is:

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

15.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

15.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

16. Compute $(4 + 3i) + (2 - i)$. Answer in standard form.

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

17. Compute $(7 - 5i) - (2 + i)$. Answer in standard form.

17.3. The conjugate of $-3 + 5i$ is:

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

18. Compute $(1 + i)(1 - i)$. Answer with a number.

18.3. The conjugate of $-3 + 5i$ is:

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

16.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

16.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

17.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

17.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

18.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

18.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

16.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

16.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

17.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

17.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

18.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

18.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

19. Find a principal argument for $1 + \sqrt{3}i$.
Answer as an exact value.

19.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

19.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

19.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

19.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

19.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

20. Find a principal argument for $-1 + \sqrt{3}i$.
Answer as an exact value.

20.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

20.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

20.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

20.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

20.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

21. If $z = 2(\cos(\pi/6) + i \sin(\pi/6))$, find the modulus of z^2 . Answer with a number.

21.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

21.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

21.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

21.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

21.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

22. If $z = 3(\cos(\pi/5) + i \sin(\pi/5))$, what is the argument of z^4 ? Answer as an exact value.

22.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

22.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

22.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

22.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

22.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

23. How many distinct fifth roots does 32 have in the complex plane? Answer with a number.

23.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

23.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

23.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

23.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

23.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

24. What is the modulus of any cube root of $8(\cos(\theta) + i \sin(\theta))$? Answer with a number.

24.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

24.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

24.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

24.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

24.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

25. Write the conjugate of $5 - 2i$. Answer as an equation.

25.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

25.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

25.3. The conjugate of $-3 + 5i$ is:

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

25.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

25.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

26. Write the polar-form template for a complex number with modulus r and argument θ . Answer as an equation.

26.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

26.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

26.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

26.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

26.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

27. Write i^2 . Answer as an equation.

27.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

27.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

27.3. The conjugate of $-3 + 5i$ is:

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

27.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

27.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

28. Write i^4 . Answer as an equation.

- A. $3 + 5i$
- B. $-3 - 5i$
- C. $3 - 5i$
- D. $-3 + 5i$

29. Write the product of $z_1 = r_1 \text{cis}(\theta_1)$ and $z_2 = r_2 \text{cis}(\theta_2)$. Answer as an equation.

29.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

30. Write the quotient z_1 / z_2 in polar form. Answer as an equation.

30.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

28.1. The modulus of $6 + 8i$ is:

- A. 10
- B. 14
- C. 48
- D. 64

28.4. Writing a complex number in polar form is especially helpful for:

- A. adding unlike terms
- B. raising to powers and finding roots
- C. graphing lines
- D. solving systems by elimination

29.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

29.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

30.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

30.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

28.2. The argument of a complex number tells you its:

- A. real part
- B. imaginary part
- C. angle from the positive real axis
- D. modulus

28.5. How many cube roots does a nonzero complex number have?

- A. 1
- B. 2
- C. 3
- D. 6

29.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

29.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

30.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

30.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

31. If $z_1 = r_1 \text{cis}(\theta_1)$ and $z_2 = r_2 \text{cis}(\theta_2)$, which product is correct?

- A. $r_1 + r_2 \text{cis}(\theta_1 + \theta_2)$
- B. $r_1 r_2 \text{cis}(\theta_1 - \theta_2)$
- C. $r_1 r_2 \text{cis}(\theta_1 + \theta_2)$
- D. $r_1 / r_2 \text{cis}(\theta_1 + \theta_2)$

31.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

32. If $z_1 = r_1 \text{cis}(\theta_1)$ and $z_2 = r_2 \text{cis}(\theta_2)$, which quotient is correct?

- A. $(r_1 / r_2) \text{cis}(\theta_1 - \theta_2)$
- B. $(r_1 r_2) \text{cis}(\theta_1 + \theta_2)$
- C. $(r_1 + r_2) \text{cis}(\theta_1 - \theta_2)$
- D. $(r_1 / r_2) \text{cis}(\theta_1 + \theta_2)$

32.3. Polar form of a complex number uses:

- A. slope and intercept
- B. modulus and argument
- C. real and imaginary parts only
- D. a factor and a zero

31.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

31.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

32.1. The modulus of $3 + 4i$ is:

- A. 4
- B. 5
- C. 7
- D. 25

32.4. De Moivre's theorem is most helpful for:

- A. adding complex numbers
- B. raising polar-form complex numbers to powers
- C. factoring trinomials
- D. finding asymptotes

31.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

31.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts

32.2. The argument of a complex number is its:

- A. distance
- B. angle
- C. real part
- D. conjugate

32.5. Nth roots of a complex number come from splitting:

- A. the real part only
- B. the argument into equally spaced angles
- C. the conjugate pair
- D. the intercepts