

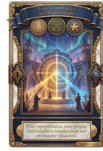
Polar Coordinates and Polar Graphs

Polar representation, polar graphs, and translation between polar and rectangular viewpoints.

Name _____ Date _____

32 main 2-up grid 11 pages visible side quests

Completion Reward



Shown here as a small pack artifact, not a preview destination.

1. What does a polar point (r, theta) describe?

- A. An x-value and y-value
- B. A distance from the pole and an angle from the polar axis
- C. A slope and intercept
- D. A length and an area

1.1. A polar point (r, theta) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

1.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

1.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
- B. $13\pi / 6$
- C. $-5\pi / 6$
- D. $2\pi / 3$

1.4. A rose curve is recognized by:

- A. repeating petal-like loops
- B. a straight line only
- C. a single parabola branch
- D. a vertical asymptote

1.5. A cardioid is often recognized by its:

- A. right-angle corners
- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph

2. Which angle names the same direction as $\theta = \pi / 3$?

- A. $2\pi / 3$
- B. $\pi / 6$
- C. $7\pi / 3$
- D. $-\pi / 6$

2.1. A polar point (r, theta) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

2.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

2.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
- B. $13\pi / 6$
- C. $-5\pi / 6$
- D. $2\pi / 3$

2.4. A rose curve is recognized by:

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2.5. A cardioid is often recognized by its:

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- C. two asymptotes
- D. straight-line graph

3. What does a negative radius do in polar coordinates?

- A. It points in the opposite direction of the angle
- B. It reflects the point across the polar axis only
- C. It makes the point undefined
- D. It changes the angle by $\pi / 2$

3.1. A polar point (r, theta) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

3.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

3.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
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3.5. A cardioid is often recognized by its:

- A. right-angle corners
- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph

4. Which equations convert polar coordinates to rectangular coordinates?

- A. $x = r \sin(\theta)$, $y = r \cos(\theta)$
- B. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- C. $x = \cos(r)$, $y = \sin(\theta)$
- D. $x = r + \theta$, $y = r - \theta$

4.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

4.2. To convert a rectangular point to polar form, you need a radius and:

- A. an intercept
- B. an angle
- C. a slope
- D. a determinant

4.3. For the point (3, 4), the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

4.4. In polar coordinates, theta tells:

- A. the distance from the origin
- B. the direction from the positive x-axis
- C. the y-intercept
- D. the scale factor

4.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

5. Which equation is always true in polar coordinates?

- A. $r = x + y$
- B. $\theta = x^2 + y^2$
- C. $r^2 = x^2 + y^2$
- D. $x = y / r$

5.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

5.2. To convert a rectangular point to polar form, you need a radius and:

- A. an intercept
- B. an angle
- C. a slope
- D. a determinant

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- C. 7
- D. 12

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- C. the y-intercept
- D. the scale factor

5.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

6. What kind of graph is $r = 4$?

- A. A line through the origin
- B. A spiral
- C. A parabola
- D. A circle centered at the pole with radius 4

6.1. A polar point (r, theta) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

6.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

6.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
- B. $13\pi / 6$
- C. $-5\pi / 6$
- D. $2\pi / 3$

6.4. A rose curve is recognized by:

- A. repeating petal-like loops
- B. a straight line only
- C. a single parabola branch
- D. a vertical asymptote

6.5. A cardioid is often recognized by its:

- A. right-angle corners
- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph

7. What kind of graph is $\theta = \pi / 6$?

- A. A circle of radius $\pi / 6$
- B. A vertical line
- C. A ray from the pole at angle $\pi / 6$
- D. A rose curve

7.1. A polar point (r, θ) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

7.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

7.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
- B. $13\pi / 6$
- C. $-5\pi / 6$
- D. $2\pi / 3$

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- B. a straight line only
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- D. a vertical asymptote

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- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph

8. Which type of graph commonly has petals?

- A. A constant-radius circle
- B. A ray
- C. A linear function
- D. A rose curve like $r = 3\cos(2\theta)$

8.1. A polar point (r, θ) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

8.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

8.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
- B. $13\pi / 6$
- C. $-5\pi / 6$
- D. $2\pi / 3$

8.4. A rose curve is recognized by:

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- B. a straight line only
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- D. a vertical asymptote

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- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph

9. Which equation is a cardioid-type graph?

- A. $r = 4$
- B. $\theta = \pi / 3$
- C. $r = \theta$
- D. $r = 2 + 2\cos(\theta)$

9.1. A polar point (r, θ) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

9.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

9.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
- B. $13\pi / 6$
- C. $-5\pi / 6$
- D. $2\pi / 3$

9.4. A rose curve is recognized by:

- A. repeating petal-like loops
- B. a straight line only
- C. a single parabola branch
- D. a vertical asymptote

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- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph

10. To convert a rectangular point to polar form, what do you usually find first?

- A. The slope-intercept form
- B. r from $x^2 + y^2$
- C. The tangent line at the point
- D. The x-coordinate only

10.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

10.2. To convert a rectangular point to polar form, you need a radius and:

- A. an intercept
- B. an angle
- C. a slope
- D. a determinant

10.3. For the point (3, 4), the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

10.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x-axis
- C. the y-intercept
- D. the scale factor

10.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

11. What is the best way to start understanding the graph of $r = 2 + 2\cos(\theta)$?

- A. Convert immediately to slope-intercept form
- B. Sample key angles and look for symmetry
- C. Assume it is a line because of the plus sign
- D. Differentiate it before graphing

11.1. A polar point (r, θ) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

11.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

11.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
- B. $13\pi / 6$
- C. $-5\pi / 6$
- D. $2\pi / 3$

11.4. A rose curve is recognized by:

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- C. two asymptotes
- D. straight-line graph

12. A student converts (r, θ) to $x = r\sin(\theta)$, $y = r\cos(\theta)$. What is the mistake?

- A. They swapped the cosine and sine roles for x and y
- B. They forgot to square r
- C. They should use tangent only
- D. Nothing is wrong

12.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

12.2. To convert a rectangular point to polar form, you need a radius and:

- A. an intercept
- B. an angle
- C. a slope
- D. a determinant

12.3. For the point (3, 4), the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

12.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x-axis
- C. the y-intercept
- D. the scale factor

12.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

13. A student says $(3, \pi/4)$ and $(-3, \pi/4)$ are the same point. What is wrong?

- A. A negative radius points in the opposite direction
- B. Negative radii are not allowed
- C. The angle should be doubled
- D. The radius should be squared

13.3. Which angle names the same direction as $\pi/6$?

- A. $7\pi/6$
- B. $13\pi/6$
- C. $-5\pi/6$
- D. $2\pi/3$

14. Convert $(3, 4)$ to polar form. What is r ? Answer with a number.

14.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

15. Convert $(-5, 12)$ to polar form. What is r ? Answer with a number.

15.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

13.1. A polar point (r, θ) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

13.4. A rose curve is recognized by:

- A. repeating petal-like loops
- B. a straight line only
- C. a single parabola branch
- D. a vertical asymptote

14.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

14.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x -axis
- C. the y -intercept
- D. the scale factor

15.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

15.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x -axis
- C. the y -intercept
- D. the scale factor

13.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

13.5. A cardioid is often recognized by its:

- A. right-angle corners
- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph

14.2. To convert a rectangular point to polar form, you need a radius and:

- A. an intercept
- B. an angle
- C. a slope
- D. a determinant

14.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

15.2. To convert a rectangular point to polar form, you need a radius and:

- A. an intercept
- B. an angle
- C. a slope
- D. a determinant

15.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

16. Find x if $(r, \theta) = (6, \pi/3)$. Answer with a number.

16.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

17. Find y if $(r, \theta) = (6, \pi/3)$. Answer as an exact value.

17.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

18. For the point $(1, \sqrt{3})$, find r . Answer with a number.

18.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

16.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

16.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x -axis
- C. the y -intercept
- D. the scale factor

17.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

17.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x -axis
- C. the y -intercept
- D. the scale factor

18.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

18.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x -axis
- C. the y -intercept
- D. the scale factor

16.2. To convert a rectangular point to polar form, you need a radius and:

- A. an intercept
- B. an angle
- C. a slope
- D. a determinant

16.5. Why can one polar point have many names?

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- B. an angle
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- D. a determinant

18.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

19. For the point $(\sqrt{3}, 1)$, find a principal angle θ with $0 \leq \theta < 2\pi$. Answer as an exact value.

19.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

20. For the point $(-1, \sqrt{3})$, find a principal angle θ with $0 \leq \theta < 2\pi$. Answer as an exact value.

20.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

21. For $r = 4\cos(\theta)$, find r when $\theta = \pi/3$. Answer with a number.

21.3. Which angle names the same direction as $\pi/6$?

- A. $7\pi/6$
- B. $13\pi/6$
- C. $-5\pi/6$
- D. $2\pi/3$

19.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

19.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x-axis
- C. the y-intercept
- D. the scale factor

20.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

20.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x-axis
- C. the y-intercept
- D. the scale factor

21.1. A polar point (r, θ) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

21.4. A rose curve is recognized by:

- A. repeating petal-like loops
- B. a straight line only
- C. a single parabola branch
- D. a vertical asymptote

19.2. To convert a rectangular point to polar form, you need a radius and:

- A. an intercept
- B. an angle
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- D. a determinant

19.5. Why can one polar point have many names?

- A. angles can differ by full turns
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- C. x and y are hidden
- D. graphs are undefined

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- A. an intercept
- B. an angle
- C. a slope
- D. a determinant

20.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

21.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

21.5. A cardioid is often recognized by its:

- A. right-angle corners
- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph

22. For $r = 3 + 3\sin(\theta)$, find r when $\theta = \pi / 2$.
Answer with a number.

22.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
- B. $13\pi / 6$
- C. $-5\pi / 6$
- D. $2\pi / 3$

23. For $r = 2 + 2\cos(\theta)$, what is r when $\theta = \pi$? Answer with a number.

23.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
- B. $13\pi / 6$
- C. $-5\pi / 6$
- D. $2\pi / 3$

24. Find x if $(r, \theta) = (8, \pi / 4)$. Answer as an exact value.

24.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

22.1. A polar point (r, θ) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

22.4. A rose curve is recognized by:

- A. repeating petal-like loops
- B. a straight line only
- C. a single parabola branch
- D. a vertical asymptote

23.1. A polar point (r, θ) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

23.4. A rose curve is recognized by:

- A. repeating petal-like loops
- B. a straight line only
- C. a single parabola branch
- D. a vertical asymptote

24.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

24.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x -axis
- C. the y -intercept
- D. the scale factor

22.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

22.5. A cardioid is often recognized by its:

- A. right-angle corners
- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph

23.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

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- A. right-angle corners
- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph

24.2. To convert a rectangular point to polar form, you need a radius and:

- A. an intercept
- B. an angle
- C. a slope
- D. a determinant

24.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

25. Find y if $(r, \theta) = (8, \pi / 4)$. Answer as an exact value.

25.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

26. Write x in terms of r and θ . Answer as an equation.

26.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

27. Write y in terms of r and θ . Answer as an equation.

27.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

25.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

25.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x -axis
- C. the y -intercept
- D. the scale factor

26.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
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27.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

28. Write the relationship between r , x , and y . Answer as an equation.

28.1. Which equations convert polar to rectangular coordinates?

28.2. To convert a rectangular point to polar form, you need a radius and:

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
 B. $r = x + y$, $\theta = xy$
 C. $x = r + \theta$, $y = r - \theta$
 D. $x = \sin(r)$, $y = \cos(\theta)$

- A. an intercept
 B. an angle
 C. a slope
 D. a determinant

28.3. For the point $(3, 4)$, the polar radius r is:

28.4. In polar coordinates, θ tells:

28.5. Why can one polar point have many names?

- A. 4
 B. 5
 C. 7
 D. 12
- A. the distance from the origin
 B. the direction from the positive x -axis
 C. the y -intercept
 D. the scale factor

- A. angles can differ by full turns
 B. radius is never fixed
 C. x and y are hidden
 D. graphs are undefined

29. Write a positive-radius point equivalent to $(-4, \pi / 3)$. Answer as an equation.

29.1. A polar point (r, θ) describes:

29.2. A negative radius in polar coordinates places the point:

- A. distance and direction from the pole
 B. slope and intercept
 C. two unrelated coordinates
 D. a matrix entry

- A. on the same ray in the same direction
 B. on the opposite ray
 C. at the origin only
 D. outside the plane

29.3. Which angle names the same direction as $\pi / 6$?

29.4. A rose curve is recognized by:

29.5. A cardioid is often recognized by its:

- A. $7\pi / 6$
 B. $13\pi / 6$
 C. $-5\pi / 6$
 D. $2\pi / 3$
- A. repeating petal-like loops
 B. a straight line only
 C. a single parabola branch
 D. a vertical asymptote

- A. right-angle corners
 B. heart-like single-loop shape
 C. two asymptotes
 D. straight-line graph

30. Write the rectangular point equivalent to $(2, \pi / 2)$. Answer as an ordered pair.

30.1. Which equations convert polar to rectangular coordinates?

30.2. To convert a rectangular point to polar form, you need a radius and:

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
 B. $r = x + y$, $\theta = xy$
 C. $x = r + \theta$, $y = r - \theta$
 D. $x = \sin(r)$, $y = \cos(\theta)$

- A. an intercept
 B. an angle
 C. a slope
 D. a determinant

30.3. For the point $(3, 4)$, the polar radius r is:

30.4. In polar coordinates, θ tells:

30.5. Why can one polar point have many names?

- A. 4
 B. 5
 C. 7
 D. 12
- A. the distance from the origin
 B. the direction from the positive x -axis
 C. the y -intercept
 D. the scale factor

- A. angles can differ by full turns
 B. radius is never fixed
 C. x and y are hidden
 D. graphs are undefined

31. Write the rectangular point equivalent to $(2, \pi)$. Answer as an ordered pair.

31.1. Which equations convert polar to rectangular coordinates?

- A. $x = r \cos(\theta)$, $y = r \sin(\theta)$
- B. $r = x + y$, $\theta = xy$
- C. $x = r + \theta$, $y = r - \theta$
- D. $x = \sin(r)$, $y = \cos(\theta)$

31.2. To convert a rectangular point to polar form, you need a radius and:

- A. an intercept
- B. an angle
- C. a slope
- D. a determinant

31.3. For the point $(3, 4)$, the polar radius r is:

- A. 4
- B. 5
- C. 7
- D. 12

31.4. In polar coordinates, θ tells:

- A. the distance from the origin
- B. the direction from the positive x -axis
- C. the y -intercept
- D. the scale factor

31.5. Why can one polar point have many names?

- A. angles can differ by full turns
- B. radius is never fixed
- C. x and y are hidden
- D. graphs are undefined

32. Which point names the same location as $(-2, \pi / 6)$?

- A. $(2, 7\pi / 6)$
- B. $(2, \pi / 6)$
- C. $(2, 5\pi / 6)$
- D. $(-2, 7\pi / 6)$

32.1. A polar point (r, θ) describes:

- A. distance and direction from the pole
- B. slope and intercept
- C. two unrelated coordinates
- D. a matrix entry

32.2. A negative radius in polar coordinates places the point:

- A. on the same ray in the same direction
- B. on the opposite ray
- C. at the origin only
- D. outside the plane

32.3. Which angle names the same direction as $\pi / 6$?

- A. $7\pi / 6$
- B. $13\pi / 6$
- C. $-5\pi / 6$
- D. $2\pi / 3$

32.4. A rose curve is recognized by:

- A. repeating petal-like loops
- B. a straight line only
- C. a single parabola branch
- D. a vertical asymptote

32.5. A cardioid is often recognized by its:

- A. right-angle corners
- B. heart-like single-loop shape
- C. two asymptotes
- D. straight-line graph