

# Zeros, Factors, and Complex Numbers

Real and complex zeros, factor structure, and the fundamental theorem of algebra.

Name \_\_\_\_\_ Date \_\_\_\_\_

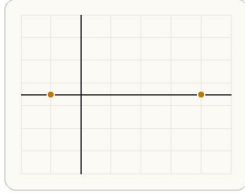
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## Completion Reward



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1. If  $(x - 4)(x + 1) = 0$ , what values can  $x$  take?



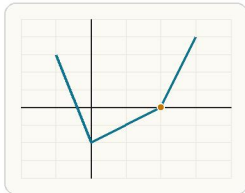
A product is zero only when at least one factor is zero, so solve each factor equation.

- A. -4 or 1
- B. 4 only
- C. -1 only
- D. 4 or -1

1.3. Which factors  $x^2 + 7x + 12$ ?

- A.  $(x + 3)(x + 4)$
- B.  $(x + 2)(x + 6)$
- C.  $(x - 3)(x - 4)$
- D.  $(x + 12)(x + 1)$

2. If  $f(2) = 0$ , what must be true?



If  $f(2) = 0$ , the polynomial has a zero at  $x = 2$ , so  $x - 2$  is a factor.

- A.  $x + 2$  is a factor of  $f(x)$ .
- B.  $x - 2$  is a factor of  $f(x)$ .
- C. The polynomial is linear.
- D.  $x = 2$  cannot be an  $x$ -intercept.

2.3. Which factors  $x^2 + 7x + 12$ ?

- A.  $(x + 3)(x + 4)$
- B.  $(x + 2)(x + 6)$
- C.  $(x - 3)(x - 4)$
- D.  $(x + 12)(x + 1)$

1.1. Which factors  $8x + 12$ ?

- A.  $4(2x + 3)$
- B.  $2(4x + 12)$
- C.  $8(x + 12)$
- D.  $4(x + 3)$

1.4. Before factoring  $6x^2 + 9x$ , what should you check first?

- A. the  $y$ -intercept
- B. the greatest common factor
- C. the degree parity
- D. the zeros

2.1. Which factors  $8x + 12$ ?

- A.  $4(2x + 3)$
- B.  $2(4x + 12)$
- C.  $8(x + 12)$
- D.  $4(x + 3)$

2.4. Before factoring  $6x^2 + 9x$ , what should you check first?

- A. the  $y$ -intercept
- B. the greatest common factor
- C. the degree parity
- D. the zeros

1.2. Which factors  $x^2 - 25$ ?

- A.  $(x - 5)(x + 5)$
- B.  $(x - 25)(x + 1)$
- C.  $(x - 5)^2$
- D.  $(x + 25)(x - 1)$

1.5. If  $(x - 4)(x + 1) = 0$ , one possible  $x$ -value is:

- A. 5
- B. 4
- C. 3
- D. -4

2.2. Which factors  $x^2 - 25$ ?

- A.  $(x - 5)(x + 5)$
- B.  $(x - 25)(x + 1)$
- C.  $(x - 5)^2$
- D.  $(x + 25)(x - 1)$

2.5. If  $(x - 4)(x + 1) = 0$ , one possible  $x$ -value is:

- A. 5
- B. 4
- C. 3
- D. -4

**3. What is  $i^2$  equal to?**

power	value
$i^1$	$i$
$i^2$	$-1$
$i^3$	$-i$
$i^4$	$1$

The powers of  $i$  cycle because  $i^2 = -1$ ,  $i^3 = -i$ , and  $i^4 = 1$  before the pattern repeats.

- A. 1
- B.  $i$
- C.  $-i$
- D.  $-1$

**3.3. What is  $(2 + 3i) + (4 - i)$ ?**

- A.  $6 + 2i$
- B.  $6 + 4i$
- C.  $8 + 3i$
- D.  $8 + 2i$

**4. What does the Fundamental Theorem of Algebra guarantee for a degree-3 polynomial?**

degree	complex roots
1	1
2	2
3	3

The Fundamental Theorem of Algebra says a degree- $n$  polynomial has  $n$  complex roots when multiplicity is counted.

- A. It has 3 complex roots counting multiplicity.
- B. It has exactly 3 real roots.
- C. It must factor only over integers.
- D. It has no repeated roots.

**4.3. An expression with exactly two terms is called a:**

- A. monomial
- B. binomial
- C. trinomial
- D. factor

**3.1. What is  $i^3$ ?**

- A.  $-1$
- B.  $i$
- C.  $-i$
- D. 1

**3.4. What is  $(3 + 2i)(3 - 2i)$ ?**

- A. 5
- B. 9
- C. 13
- D.  $13i$

**4.1. What is the degree of  $7x^5 - 2x + 9$ ?**

- A. 1
- B. 2
- C. 5
- D. 9

**4.4. Which expression is a trinomial?**

- A.  $x^2 + 3x + 2$
- B.  $4x$
- C.  $x - 7$
- D. 5

**3.2. Which number is in  $a + bi$  form?**

- A.  $4i + 3$
- B.  $3 + 4i$
- C.  $3i(4)$
- D.  $i / 3$

**3.5. The Fundamental Theorem of Algebra says a polynomial of degree  $n$  has:**

- A. at most  $n$  real zeros only
- B. exactly  $n$  complex zeros counting multiplicity
- C. exactly  $n$  positive zeros
- D. one zero

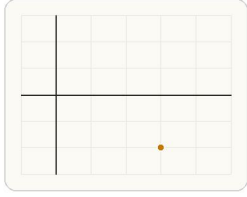
**4.2. An expression with exactly one term is called a:**

- A. binomial
- B. trinomial
- C. monomial
- D. polynomial zero

**4.5. What is the degree of the term  $6x^3$ ?**

- A. 3
- B. 6
- C. 9
- D. 1

## 5. Which expression is written in a + bi form?



In a + bi form, the real part is horizontal and the imaginary part is vertical.

- A.  $3 - 2i$
- B.  $\sqrt{5}$
- C.  $x^2 + 1$
- D.  $1/3$

5.3. What is  $(2 + 3i) + (4 - i)$ ?

- A.  $6 + 2i$
- B.  $6 + 4i$
- C.  $8 + 3i$
- D.  $8 + 2i$

6. If  $x = -4$  is a zero, which factor must appear?

- A.  $x + 4$
- B.  $x - 4$
- C.  $4x$
- D.  $x^2 - 4$

6.3. Which factors  $x^2 + 7x + 12$ ?

- A.  $(x + 3)(x + 4)$
- B.  $(x + 2)(x + 6)$
- C.  $(x - 3)(x - 4)$
- D.  $(x + 12)(x + 1)$

7. For  $f(x) = x^2 - 9$ , which value is a zero?

- A. 3
- B. 2
- C. 1
- D. 0

7.3. If  $x = -3$  is a zero, which factor belongs?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

5.1. What is  $i^3$ ?

- A. -1
- B.  $i$
- C.  $-i$
- D. 1

5.4. What is  $(3 + 2i)(3 - 2i)$ ?

- A. 5
- B. 9
- C. 13
- D. 13i

6.1. Which factors  $8x + 12$ ?

- A.  $4(2x + 3)$
- B.  $2(4x + 12)$
- C.  $8(x + 12)$
- D.  $4(x + 3)$

6.4. Before factoring  $6x^2 + 9x$ , what should you check first?

- A. the y-intercept
- B. the greatest common factor
- C. the degree parity
- D. the zeros

## 7.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

7.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

## 5.2. Which number is in a + bi form?

- A.  $4i + 3$
- B.  $3 + 4i$
- C.  $3i(4)$
- D.  $i/3$

## 5.5. The Fundamental Theorem of Algebra says a polynomial of degree n has:

- A. at most n real zeros only
- B. exactly n complex zeros counting multiplicity
- C. exactly n positive zeros
- D. one zero

6.2. Which factors  $x^2 - 25$ ?

- A.  $(x - 5)(x + 5)$
- B.  $(x - 25)(x + 1)$
- C.  $(x - 5)^2$
- D.  $(x + 25)(x - 1)$

6.5. If  $(x - 4)(x + 1) = 0$ , one possible x-value is:

- A. 5
- B. 4
- C. 3
- D. -4

## 7.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

## 7.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

**8. If 5 is a zero, which factor belongs?**

- A.  $x + 5$
- B.  $5x$
- C.  $x - 5$
- D.  $x^2 - 5$

**8.1. Which factors  $8x + 12$ ?**

- A.  $4(2x + 3)$
- B.  $2(4x + 12)$
- C.  $8(x + 12)$
- D.  $4(x + 3)$

**8.2. Which factors  $x^2 - 25$ ?**

- A.  $(x - 5)(x + 5)$
- B.  $(x - 25)(x + 1)$
- C.  $(x - 5)^2$
- D.  $(x + 25)(x - 1)$

**8.3. Which factors  $x^2 + 7x + 12$ ?**

- A.  $(x + 3)(x + 4)$
- B.  $(x + 2)(x + 6)$
- C.  $(x - 3)(x - 4)$
- D.  $(x + 12)(x + 1)$

**8.4. Before factoring  $6x^2 + 9x$ , what should you check first?**

- A. the y-intercept
- B. the greatest common factor
- C. the degree parity
- D. the zeros

**8.5. If  $(x - 4)(x + 1) = 0$ , one possible x-value is:**

- A. 5
- B. 4
- C. 3
- D. -4

**9. Which expression equals  $i^5$ ?**

- A.  $-i$
- B. 1
- C.  $i$
- D.  $-1$

**9.1. A polynomial of even degree with positive leading coefficient has ends that:**

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

**9.2. A polynomial of odd degree with positive leading coefficient has ends that:**

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

**9.3. If  $x = -3$  is a zero, which factor belongs?**

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

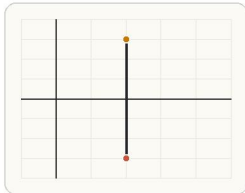
**9.4. To test whether 2 is a zero of  $f(x)$ , you should compute:**

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

**9.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:**

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

**10. Which pair are complex conjugates?**



Conjugates keep the same real part and mirror across the horizontal axis.

- A.  $2 + 3i$  and  $-2 + 3i$
- B.  $2 + 3i$  and  $3 + 2i$
- C.  $2 + 3i$  and  $2 - 3i$
- D.  $2 + 3i$  and  $-2 - 3i$

**10.1. A polynomial of even degree with positive leading coefficient has ends that:**

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

**10.2. A polynomial of odd degree with positive leading coefficient has ends that:**

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

**10.3. If  $x = -3$  is a zero, which factor belongs?**

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

**10.4. To test whether 2 is a zero of  $f(x)$ , you should compute:**

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

**10.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:**

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

**11. If you know  $x = 3$  is a zero of a polynomial, what is a useful next step?**

- A. Write the factor  $x - 3$ .
- B. Write the factor  $x + 3$ .
- C. Replace every  $x$  with 0.
- D. Assume the polynomial is quadratic.

**11.1. A polynomial of even degree with positive leading coefficient has ends that:**

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the  $x$ -axis only

**11.2. A polynomial of odd degree with positive leading coefficient has ends that:**

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

**11.3. If  $x = -3$  is a zero, which factor belongs?**

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

**11.4. To test whether 2 is a zero of  $f(x)$ , you should compute:**

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

**11.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:**

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

**12. A student says if  $(x - 2)(x + 5) = 0$ , then  $x = 7$ . What is the mistake?**

- A. They should have multiplied 2 and 5 first.
- B. They added the factors instead of setting each factor equal to 0.
- C. They should square both factors.
- D. The equation has no solution.

**12.1. Which factors  $8x + 12$ ?**

- A.  $4(2x + 3)$
- B.  $2(4x + 12)$
- C.  $8(x + 12)$
- D.  $4(x + 3)$

**12.2. Which factors  $x^2 - 25$ ?**

- A.  $(x - 5)(x + 5)$
- B.  $(x - 25)(x + 1)$
- C.  $(x - 5)^2$
- D.  $(x + 25)(x - 1)$

**12.3. Which factors  $x^2 + 7x + 12$ ?**

- A.  $(x + 3)(x + 4)$
- B.  $(x + 2)(x + 6)$
- C.  $(x - 3)(x - 4)$
- D.  $(x + 12)(x + 1)$

**12.4. Before factoring  $6x^2 + 9x$ , what should you check first?**

- A. the  $y$ -intercept
- B. the greatest common factor
- C. the degree parity
- D. the zeros

**12.5. If  $(x - 4)(x + 1) = 0$ , one possible  $x$ -value is:**

- A. 5
- B. 4
- C. 3
- D. -4

**13. For  $f(x) = x^2 - 5x + 6$ , find  $f(2)$ . Answer with a number.**

**13.1. What is  $(2x^2 + 3x) + (x^2 - x)$ ?**

- A.  $3x^2 + 2x$
- B.  $2x^4 + 2x$
- C.  $x^2 + 4x$
- D.  $3x^2 - 2x$

**13.2. What is  $4x(x + 3)$ ?**

- A.  $4x^2 + 3$
- B.  $4x^2 + 12x$
- C.  $5x + 3$
- D.  $4x^2 + 7x$

**13.3. What is  $(x + 2)(x + 5)$ ?**

- A.  $x^2 + 7x + 10$
- B.  $x^2 + 10x + 7$
- C.  $2x^2 + 7x + 10$
- D.  $x^2 + 3x + 10$

**13.4. If  $p(x) = x^2 - 3x + 1$ , what is  $p(2)$ ?**

- A. -1
- B. 1
- C. 3
- D. 5

**13.5. An area model for  $(x + 2)(x + 4)$  helps you find:**

- A. a factor only
- B. the expanded product
- C. the slope
- D. the degree only

14. For  $f(x) = x^3 - x$ , find  $f(1)$ . Answer with a number.

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

15. Find  $(3 + 2i) + (4 - 5i)$ . Answer in standard form.

15.3. If  $x = -3$  is a zero, which factor belongs?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

16. Find  $(6 - i) - (2 + 4i)$ . Answer in standard form.

16.3. If  $x = -3$  is a zero, which factor belongs?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

14.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

14.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

15.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

15.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

16.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

16.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

14.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

14.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

15.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

15.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

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16.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

16.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

17. Find  $i(4 - 3i)$ . Answer in standard form.

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

17.3. If  $x = -3$  is a zero, which factor belongs?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

18. Find  $i^7$ . Answer as a simplified complex number.

18.3. If  $x = -3$  is a zero, which factor belongs?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

19. Solve  $x^2 + 1 = 0$ . Answer in the form  $x = \dots$

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

17.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

17.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

18.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

18.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

19.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

19.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

17.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

17.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

18.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
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- A. exactly 4 complex zeros counting multiplicity
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19.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

19.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

20. For  $p(x) = x^2 + x - 6$ , find  $p(2)$ . Answer with a number.

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

20.3. If  $x = -3$  is a zero, which factor belongs?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

21. Write a polynomial in factored form with zeros 2 and -3. Answer as an equation.

21.3. Which factors  $x^2 + 7x + 12$ ?

- A.  $(x + 3)(x + 4)$
- B.  $(x + 2)(x + 6)$
- C.  $(x - 3)(x - 4)$
- D.  $(x + 12)(x + 1)$

22. Write a polynomial in standard form with zeros 1 and 4. Answer as an equation.

22.3. If  $x = -3$  is a zero, which factor belongs?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

20.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

20.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

21.1. Which factors  $8x + 12$ ?

- A.  $4(2x + 3)$
- B.  $2(4x + 12)$
- C.  $8(x + 12)$
- D.  $4(x + 3)$

21.4. Before factoring  $6x^2 + 9x$ , what should you check first?

- A. the y-intercept
- B. the greatest common factor
- C. the degree parity
- D. the zeros

22.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

22.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

20.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

20.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

21.2. Which factors  $x^2 - 25$ ?

- A.  $(x - 5)(x + 5)$
- B.  $(x - 25)(x + 1)$
- C.  $(x - 5)^2$
- D.  $(x + 25)(x - 1)$

21.5. If  $(x - 4)(x + 1) = 0$ , one possible x-value is:

- A. 5
- B. 4
- C. 3
- D. -4

22.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

22.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

23. Solve  $(x + 2)(x - 7) = 0$ . Answer with all solution values of  $x$ .

- A.  $(x + 3)(x + 4)$
- B.  $(x + 2)(x + 6)$
- C.  $(x - 3)(x - 4)$
- D.  $(x + 12)(x + 1)$

24. Solve  $x^2 + 4 = 0$ . Answer in the form  $x = \dots$

24.3. Which factors  $x^2 + 7x + 12$ ?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

25. Simplify  $(3 + i)(3 - i)$ . Answer with a number.

25.3. If  $x = -3$  is a zero, which factor belongs?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

23.1. Which factors  $8x + 12$ ?

- A.  $4(2x + 3)$
- B.  $2(4x + 12)$
- C.  $8(x + 12)$
- D.  $4(x + 3)$

23.4. Before factoring  $6x^2 + 9x$ , what should you check first?

- A. the y-intercept
- B. the greatest common factor
- C. the degree parity
- D. the zeros

24.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

24.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

25.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

25.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

23.2. Which factors  $x^2 - 25$ ?

- A.  $(x - 5)(x + 5)$
- B.  $(x - 25)(x + 1)$
- C.  $(x - 5)^2$
- D.  $(x + 25)(x - 1)$

23.5. If  $(x - 4)(x + 1) = 0$ , one possible x-value is:

- A. 5
- B. 4
- C. 3
- D. -4

24.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

24.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

25.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

25.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

26. Simplify  $-5i^2$ . Answer with a number.

26.3. If  $x = -3$  is a zero, which factor belongs?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

27. Find  $i^{10}$ . Answer as a simplified complex number.

27.3. If  $x = -3$  is a zero, which factor belongs?

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

28. Write factor form for a polynomial with roots 2 and 2. Answer as an equation.

28.3. Which factors  $x^2 + 7x + 12$ ?

- A.  $(x + 3)(x + 4)$
- B.  $(x + 2)(x + 6)$
- C.  $(x - 3)(x - 4)$
- D.  $(x + 12)(x + 1)$

26.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

26.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

27.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

27.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

28.1. Which factors  $8x + 12$ ?

- A.  $4(2x + 3)$
- B.  $2(4x + 12)$
- C.  $8(x + 12)$
- D.  $4(x + 3)$

28.4. Before factoring  $6x^2 + 9x$ , what should you check first?

- A. the y-intercept
- B. the greatest common factor
- C. the degree parity
- D. the zeros

26.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

26.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
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- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

27.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

28.2. Which factors  $x^2 - 25$ ?

- A.  $(x - 5)(x + 5)$
- B.  $(x - 25)(x + 1)$
- C.  $(x - 5)^2$
- D.  $(x + 25)(x - 1)$

28.5. If  $(x - 4)(x + 1) = 0$ , one possible x-value is:

- A. 5
- B. 4
- C. 3
- D. -4

29. Solve  $x(x - 1)(x + 2) = 0$ . Answer with all solution values of  $x$ .

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

30. For  $p(x) = x^3 - 8$ , find  $p(2)$ . Answer with a number.

30.3. Which factors  $x^2 + 7x + 12$ ?

- A.  $(x + 3)(x + 4)$
- B.  $(x + 2)(x + 6)$
- C.  $(x - 3)(x - 4)$
- D.  $(x + 12)(x + 1)$

31. Write factor form for roots  $-1$ ,  $-1$ , and  $3$ . Answer as an equation.

31.3. Which factors  $x^2 + 7x + 12$ ?

- A.  $(x + 3)(x + 4)$
- B.  $(x + 2)(x + 6)$
- C.  $(x - 3)(x - 4)$
- D.  $(x + 12)(x + 1)$

29.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the  $x$ -axis only

29.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

30.1. Which factors  $8x + 12$ ?

- A.  $4(2x + 3)$
- B.  $2(4x + 12)$
- C.  $8(x + 12)$
- D.  $4(x + 3)$

30.4. Before factoring  $6x^2 + 9x$ , what should you check first?

- A. the  $y$ -intercept
- B. the greatest common factor
- C. the degree parity
- D. the zeros

31.1. Which factors  $8x + 12$ ?

- A.  $4(2x + 3)$
- B.  $2(4x + 12)$
- C.  $8(x + 12)$
- D.  $4(x + 3)$

31.4. Before factoring  $6x^2 + 9x$ , what should you check first?

- A. the  $y$ -intercept
- B. the greatest common factor
- C. the degree parity
- D. the zeros

29.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

29.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros

30.2. Which factors  $x^2 - 25$ ?

- A.  $(x - 5)(x + 5)$
- B.  $(x - 25)(x + 1)$
- C.  $(x - 5)^2$
- D.  $(x + 25)(x - 1)$

30.5. If  $(x - 4)(x + 1) = 0$ , one possible  $x$ -value is:

- A. 5
- B. 4
- C. 3
- D. -4

31.2. Which factors  $x^2 - 25$ ?

- A.  $(x - 5)(x + 5)$
- B.  $(x - 25)(x + 1)$
- C.  $(x - 5)^2$
- D.  $(x + 25)(x - 1)$

31.5. If  $(x - 4)(x + 1) = 0$ , one possible  $x$ -value is:

- A. 5
- B. 4
- C. 3
- D. -4

32. Solve  $x^2 + 9 = 0$ . Answer in the form  $x = \dots$

- A.  $x - 3$
- B.  $x + 3$
- C.  $3x - 1$
- D.  $x^2 + 3$

32.1. A polynomial of even degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. go opposite directions
- D. touch the x-axis only

32.2. A polynomial of odd degree with positive leading coefficient has ends that:

- A. both rise
- B. both fall
- C. left down and right up
- D. left up and right down

32.3. If  $x = -3$  is a zero, which factor belongs?

32.4. To test whether 2 is a zero of  $f(x)$ , you should compute:

- A.  $f(0)$
- B.  $f(1)$
- C.  $f(2)$
- D.  $2f(x)$

32.5. The Fundamental Theorem of Algebra guarantees that a degree-4 polynomial has:

- A. exactly 4 complex zeros counting multiplicity
- B. at most 2 zeros
- C. only real zeros
- D. no repeated zeros